

CAN YOU TRUST THE HUMBLE STATISTICIAN?

AN INTRO TO UNIT TESTING IN R

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THINGS I KNOW ABOUT UNIT TESTING

WHAT IS UNIT TESTING?

- Systematically testing the (feasibly) smallest sections (i.e. units) that make up your project.
- Aim is to verify they work as expected:
 - Given control data, does your function return what you know it should?
 - Is returned information in the correct data form?
 - Do invalid inputs get handled correctly as failures?

Code design

- Thinking about correct inputs and outputs early on leads to well designed procedure.
- Write better code—concise, focused functions are easier to test.
- Helps identify special cases—before the someone using your code does.

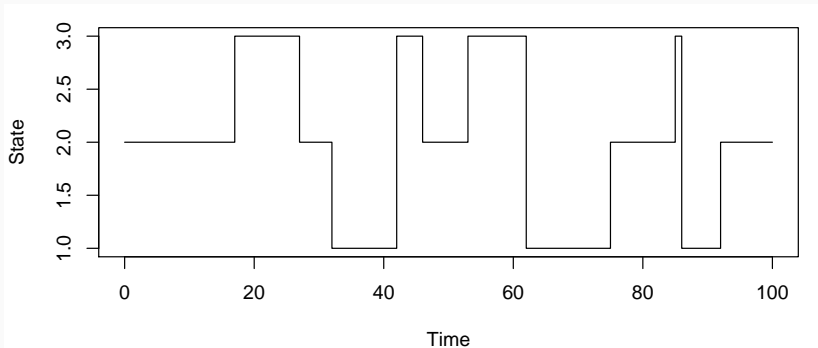
Bug detection

- Easier to identify a bug when a procedure is written rather than after it has been integrated into a larger program.
- Detects change of functionality in updated code.

RUnit provides functions that enable unit testing in R

- `checkEquals`—compare your function output is the same as what you expected.
- `checkEqualNumeric`—ignores attributes.
- `checkIdentical`—no tolerance for small errors and checks storage type (e.g. integer vs. float).
- `checkTrue`—equivalent to `checkEquals(..., TRUE)`.
- `checkException`—check that a function with invalid input produces an error message.

LET'S CROWBAR SOME STATS IN HERE



| | | | | | | | | | | | | | | |
|-------|--|---|----|----|----|----|----|----|----|----|----|----|----|-----|
| State | | 2 | 3 | 2 | 1 | 3 | 2 | 3 | 1 | 2 | 3 | 1 | 2 | 2 |
| Time | | 0 | 17 | 27 | 32 | 42 | 46 | 53 | 62 | 75 | 85 | 86 | 92 | 100 |

THINGS I WANT HELP WITH

HOW DO YOU TEST A SIMULATION?

$$G = \begin{pmatrix} -0.20 & 0.08 & 0.12 \\ 0.05 & -0.10 & 0.05 \\ 0.40 & 0.00 & -0.40 \end{pmatrix}$$

- Set the current time, $t \leftarrow t_0$, and state, $s \leftarrow s_0$
- Generate $t^* \sim \text{Exp}(\lambda_s)$
- While ($t + t^* \leq t_{\text{end}}$):
 - Generate s^* from the discrete distribution with probabilities $q_{s,i}$ for $i = \{1, \dots, s-1, s+1, \dots, n\}$
 - Update $t \leftarrow t + t^*$, $s \leftarrow s^*$ and store
 - Generate $t^* \sim \text{Exp}(\lambda_s)$
- Store final state t_{end}, s